

Malaviya National Institute of Technology Jaipur Department of Computer Science Engineering **Computer Graphics CST310** Mid-sem Examination, Date: Feb 29, 2024

Time. 4.15 pm-5.45 pm (1.5 nours) Spring 2024, VI Semester Max marks.	Time: $4:15 \text{ pm}-5:45 \text{ pm} (1.5 \text{ hours})$	Spring 2024, VI Semester	Max marks: 30
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Instructions:

- 1. All questions are compulsory.
- 2. This paper has two pages, please turn it over.
- 3. Be precise in your answers.

(a) Write down a 4 × 4 matrix A which rotates a 3D point by angle 30° along the x-axis and translates to a point (15, 20, 10).

- (b) Initially, let the point be located at the origin. What will be the new location of the point after applying the transformations of matrix A? (2)
- (c) Find the inverse of the following matrix:

$$\begin{bmatrix} 3 & 10 \\ 2 & 7 \end{bmatrix}$$

(2)

- (d) Explain in words the working of the flood-fill method of polygon filling. (30-40 words only)
 (e) Explain in words the difference between image sampling and quantization (30-
- (e) Explain in words the difference between image sampling and quantization. (30-40 words only)
 (2)
- 2. (a) Indicate using a table as well as a neat and clean graph which raster locations would be chosen by Bresenham's algorithm when scan-converting a line from pixel coordinate (1,1) to pixel coordinate (8,5).
 (5)

(b) Develop an algorithm for scan converting unfilled rounded rectangles (an example is shown in Figure 1) with a specified radius (r) for the quarter-circle corners.

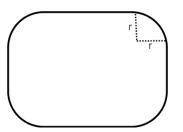


Figure 1: A rounded rectangle with quarter-circle corners of radius r.

- 3. (a) What is Perspective Projection? Write down the matrix representation of the Linear Model for Perspective Projection. (2)
 - (b) Consider the following Projection Matrix.

$$\begin{bmatrix} -9 & 2 & 3 & 1 \\ 3 & -9 & 6 & 1 \\ 2 & 6 & -10 & 1 \end{bmatrix}$$

Compute the following:

- 1. Camera Center
- 2. Vanishing point of X-axis
- 3. Image point of origin

(3)

- (c) 1. Write the general form of a scaling matrix to a fixed point P(h,k).
 - Using this form, magnify the triangle with vertices A(0,0), B(1,1), and C(5,2) to twice its size while keeping C(5,2) fixed. (5)

Best wishes

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(5)